# Recitation Material for Week 8 Tasks to do in the recitation section Assigned Date: Seventh Week 

T1. Review HW06 problems and solve any problems that students point out they had difficulty with.

T2. Answer any general questions about HW07 and Lab 06.
T3. Solve the following problems.

1. Suppose you want to uniquely represent 24 objects using a binary number. What is the minimum number of bits that you need? What if you have n objects?
2. Perform the following conversions:
a. $(1010101)_{2}$ to decimal
b. $(139)_{10}$ to binary
c. $(0101101110)_{2}$ to hexadecimal
d. $(A B C)_{16}$ to binary
e. (FE45) ${ }_{16}$ to octal
f. $(1234)_{5}$ to base 6 representation
g. -25 in decimal to 6-bit sign-and-magnitude
h. -25 in decimal to 6 -bit 1 's complement
i. -25 in decimal to 6-bit 2's complement
j. $(10110)_{2}$ in 5 -bit sign-and-magnitude to 5 -bit 1's complement
k. $(10110)_{2}$ in 5 -bit sign-and-magnitude to 5 -bit 2's complement
l. $(11101)_{2}$ in 5 -bit 1's complement to 5 -bit sign-and-magnitude
m. $(11101)_{2}$ in 5 -bit 1's complement to 5 -bit 2's complement
n. $(101110)_{2}$ in 6 -bit 2's complement to 6 -bit sign-and-magnitude
o. $(101110)_{2}$ in 6-bit 2's complement to 6-bit 1's complement
3. Negate the following 6-bit 2's complement binary numbers:
a. 001010
b. 110011
4. What should the base $b$ be such that $x=3$ is a root of the equation $6 b x^{2}-55_{b} x+105_{b}=0$ ?
5. Represent the decimal number 13.1875 in IEEE 754 single-precision floating-point format.
6. Convert the following IEEE 754 single-precision floating-point number to decimal. 11000001101100000000000000000000
7. Convert the following IEEE 754 single-precision floating-point number to decimal. 10111101010100000000000000000000
8. Convert $\mathrm{BECOOOOO}_{16}$ (a 32-bit floating-point number in IEEE 754 format) to decimal.
